Circumference and Area

1. CircleA circle is the locus of all points equidistant from a central point.2. Parts of a CircleRadius - the distance from the centre of a circle to the edge Diameter - the total distance across the width of a circle through the centre. Circumference - the total distance around the outside of a circle Chord - a straight line whose end points lie on a circle Tangent - a straight line which touches a circle at exactly one point Arc - a part of the circumference of a circleParts of a Circle Circumference3. Area of a Circle $A = \pi r^2$ which means 'pi x radius squared'.If the radius was 5cm, then: $A = \pi \times 5^2 = 78.5cm^2$ 4. Circumference of a Circle $C = \pi d$ which means 'pi x diameter'If the radius was 5cm, then: $C = \pi \times 10 = 31.4cm$	Topic/Skill	Definition/Tips	Example
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4. $C = \pi d$ which means 'pix diameter' If the radius was 5cm, then: Circumference of a Circle $C = \pi \times 10 = 31.4cm$ 5. π ('pi') Pi is the circumference of a circle divided Γ^{SVAR} P Γ^{DISTR} π Γ^{PLZP} Poly	Circle	squared'.	$A = \pi \times 5^2 = 78.5 cm^2$
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5 π (b)) VI IC TOO CIRCUMSTORODCO OT 3 CIRCUO AUVIDOD		Di is the sine of a single divided	rS-VARa ρ rDISTRa n r⊧r∠θa Pol(r
by the diameter	5. <i>π</i> (pi)	PLIS the circumference of a circle divided	2 + 1
by the diameter.		by the diameter.	
$\pi \approx 3.14$		$\pi \approx 3.14$	Ran# π DRG
• EXP Ans		<i>n</i> ~ 5.11	• EXP Ans
6. Arc Length The arc length is part of the circumference. Arc Length = $\frac{115}{5} \times \pi \times 8 = 8.03 cm$	6. Arc Length	The arc length is part of the circumference.	Arc Length = $\frac{115}{2} \times \pi \times 8 = 8.03 cm$
of a Sector	of a Sector		360 360 Storest
Take the angle given as a fraction over		Take the angle given as a fraction over	
360° and multiply by the circumference .		360° and multiply by the circumference.	O 4cm B
115			115
			A
7. Area of a The area of a sector is part of the total Area = $\frac{115}{x \pi \times 4^2} = 161 cm^2$	7. Area of a	The area of a sector is part of the total	Area = $\frac{115}{\times \pi \times 4^2} = 161 cm^2$
Sector area.	Sector	area.	360
Take the angle given as a fraction over		Take the angle given as a fraction over	O 4cm B
360° and multiply by the area .		360° and multiply by the area.	115
			A

8. Surface Area	Curved Surface Area = πdh or $2\pi rh$	
of a Cylinder		
	Total SA = $2\pi r^2 + \pi dh$ or $2\pi r^2 + 2\pi rh$	5
		2
		$Total SA = 2\pi(2)^2 + \pi(4)(5) = 28\pi$
9. Surface Area	Curved Surface Area = $\pi r l$	//\
of a Cone	where $l = slant \ height$	5m
	Total SA = $\pi r l + \pi r^2$	3m
	You may need to use Pythagoras' Theorem	
	to find the slant height	$Total SA = \pi(3)(5) + \pi(3)^2 = 24\pi$
10. Surface	$SA = 4\pi r^2$	Find the surface area of a sphere with
Area of a		radius 3cm.
Sphere	Look out for hemispheres – halve the SA of	
	a sphere and add on a circle (πr^2)	$SA = 4\pi(3)^2 = 36\pi cm^2$

	Compound area			
Topic/Skill	Definition/Tips	Example		
1. Metric	A system of measures based on:	1kilometres = 1000 metres		
System		1 metre = 100 centimetres		
	 the metre for length 	$1 \ centimetre = 10 \ millimetres$		
	 the kilogram for mass 			
	 the second for time 	1 kilogram = 1000 grams		
	Length: mm, cm, m, km			
	Mass: mg, g, kg			
	Volume: ml, cl, l			
2. Imperial	A system of weights and measures	1lb = 16 ounces		
System	originally developed in England, usually	1 foot = 12 inches		
	based on human quantities	$1 \ gallon = 8 \ pints$		
	Length: inch, foot, yard, miles			
	Mass: lb, ounce, stone			
	Volume: pint, gallon			
3. Metric and	Use the unitary method to convert	5 miles \approx 8 kilometres		
Imperial Units	between metric and imperial units.	$1 \ gallon \approx 4.5 \ litres$		
		2.2 pounds \approx 1 kilogram		
		1 inch = 2.5 centimetres		
4. Speed,	Speed = Distance ÷ Time	Speed = 4mph		
Distance, Time	Distance = Speed x Time	lime = 2 hours		
	Time = Distance ÷ Speed			
		Find the Distance.		
		$D = C \times T = 4 \times 2 = 0$ miles		
		$D = 5 \times 1 = 4 \times 2 = 8 \text{ miles}$		
	S T			
	Remember the correct units.	-		
5. Density,	Density = Mass ÷ Volume	Density = 8kg/m ³		
Mass, Volume	Mass = Density x Volume	Mass = 2000g		
	Volume = Mass ÷ Density			
		Find the Volume.		
	^			
	M	$V = M \div D = 2 \div 8 = 0.25m^3$		
	Remember the correct units			
6 Pressure	$\mathbf{Prossure} = \mathbf{Force} \div \mathbf{Aree}$	Pressure - 10 Pascals		
Force Aroa	FIESSULE - FULLE TALEA	$r_1 = s_{0} = 10 r_{0} = 10 r_{0}$		
TUICE, Aled	$\frac{1}{1} = \frac{1}{1} = \frac{1}$			
	AICA - FUILE - FIESSUIE			

		Find the Force
	F p X A	$F = P \times A = 10 \times 6 = 60 N$
	Remember the correct units.	
7. Distance-	You can find the speed from the gradient	Distance
Time Graphs	of the line (Distance ÷ Time)	(Km) 3
	The steeper the line, the quicker the	2
	speed.	·
	A horizontal line means the object is not	$\circ \overset{\circ}{I}_{0}$ $\overset{\circ}{I}_{0}$ $$
	moving (stationary).	11115 (110115)

Drawing, Measuring and Estimating Angles

1	Angle	Where two line segments meet the measure of rotation from one segment to the other.	
2	Acute Angle	An angle between 0° and 90°.	49°
3	Right Angle	An angle which is exactly 90°. We use a small square to represent a right angle.	•
4	Obtuse Angle	An angle between 90° and 180°.	135°
5	Reflex Angle	An angle which is greater than 180°.	
6	Degree	The unit that we measure angles in. We use this symbol °.	265°
7	Perpendicular	Line segments which meet at right angles	
8	Estimate	A mathematical guess. I use my knowledge about angles to estimate the size of an angle.	
9	Protractor	The piece of equipment we use to measure angles.	

Unit 2 – Drawing, Measuring and Estimating Angles



1	Where two line segments meet the measure of rotation from one segment to the other.	
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<u>Pathway 3</u>

Unit 2 – Drawing, Measuring and Estimating Angles



1	Angle	×
2	Acute Angle	49°
3	Right Angle	•
4	Obtuse Angle	135*
5	Reflex Angle	•
6	Degree	265°
7	Perpendicular	
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9	Protractor	

<u>Pathway 3</u>

Unit 2 – Drawing, Measuring and Estimating Angles



-	 	
1		~
2		49°
3		•
4		135°
5		•
6		265°
7		
8		
9		

1	Expression	A mathematical statement written using symbols, numbers or letters.	6 + 9 5x + 8 $5y^2$
2	Equation	A statement showing that two expressions are equal.	6 + 9 = 15 2y - 17 = 15
3	Formula	An equation linking sets of physical variables. The plural is formulae.	$S = \frac{d}{t}$
4	Variable	A letter representing an unknown number.	5 + 8 = 38 x is the variable
5	Substitute	Putting a number where a variable is shown.	Example if a = 10, calculate 4a + 2
6	Sequence	An ordered set of numbers, shapes or other mathematical objects arranged according to a rule.	Examples: 3, 7, 11, 15, 19 1, 4, 9, 16, 25
7	Arithmetic Sequence / Linear Sequence	A sequence in which terms are generated by adding or subtracting a constant amount each time.	Examples: 1, 3, 5, 7, 9, 11 8, 12, 16, 20, 24

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Fractions

1	Fraction	The result of dividing one integer by a second integer (which must not be zero). It relates parts to a whole.	$ \begin{array}{c c} & \text{means} \\ & 1 \\ & 3 \\ & \text{one out} \\ & \text{of three} \\ \end{array} $
2	Vinculum	The fraction line.	$\frac{3}{4}$
3	Numerator and Denominator	The numerator is the top number in a fraction. The denominator is the bottom number in a fraction.	$\frac{3}{4} \stackrel{\longleftarrow}{\longleftarrow} Denominator$
4	Equivalent	Things with the same value as another.	$0.5 = \frac{1}{2}$
5	Fraction of amount	Take a number and divide it by the denominator	$\frac{3}{4}$ of 20 20÷4 = 5 5 x 3 = 15
6	Fraction into a decimal	To turn a fraction into a decimal you divide the numerator by the denominator	$\frac{3}{4} \stackrel{\longleftarrow}{\longleftarrow} \frac{Numerator}{Denominator}$ $3 \div 4 = 0.75$
7			

Introduction to Algebra

1	Expression	A mathematical statement written using symbols,	6 + 9
		numbers or letters.	5x + 8
			$5y^2$
2	Equation	A statement showing that two	6 + 9 = 15
		expressions are equal.	2y - 17 = 15
3	Coefficient	A number used to multiply a variable. It can be a letter.	6 <i>x</i> The coefficient is 6.
4	<i>x</i> + 1	A number plus 1.	
5	x - 1	A number subtract 1.	
6	1 - x	Subtract a number from 1.	
7	5 <i>x</i>	Multiplying a number by 5.	
8	$\frac{x}{4}$	A number divided by 4.	
9	$\frac{4}{x}$	4 divided by a number.	
10	x ²	A number squared.	$x \times x$
11	x ³	A number cubed.	$x \times x \times x$
12	ху	A number multiplied by another number.	$x \times y$
13	Simplify Expressions	To write the expression in the simplest way possible.	Simplify $5x \times 7$ = $35x$
14	Collect Like Terms	The way that you simplify expressions which are added or subtracted. You can only add or subtract terms which have the same letter and power.	Simplify 2x + 3y + 4x - 5y = 6x - 2y
15	5(x + 3)	Five lots of $x + 3$.	
16	Expand Brackets	Multiply out the brackets.	5(x+3) = 5x + 15
17	x + x =	2 <i>x</i>	
18	7x + 8x =	15 <i>x</i>	
19	7x - 4x =	3 <i>x</i>	

Introduction to Algebra

1		A mathematical statement written using symbols, numbers or letters,	6 + 9 5 <i>x</i> + 8
			$5y^2$
2		A statement showing that two expressions are equal.	6 + 9 = 15 2y - 17 = 15
3		The number in front of the letter.	6 <i>x</i> The coefficient is 6.
4	<i>x</i> + 1		
5	x - 1		
6	1 - x		
7	5 <i>x</i>		
8	$\frac{x}{4}$		
9	$\frac{4}{x}$		
10	<i>x</i> ²		$x \times x$
11	<i>x</i> ³		$x \times x \times x$
12	ху		$x \times y$
13	Simplify expressions	To write the expression in the most simple way possible.	Simplify $5x \times 7$ = $35x$
14	Collect like terms	The way that you simplify expressions which are added or subtracted. You can only add or subtract terms which have the same letter and power.	Simplify 2x + 3y + 4x - 5y $= 6x - 2y$
15	5(x + 3)	Five lots of $x + 3$.	
16	Expand brackets	Multiply out the brackets.	5(x+3) = 5x + 15
17	x + x =	2 <i>x</i>	
18	7x + 8x =	15 <i>x</i>	
19	7x - 4x =	3 <i>x</i>	

Introduction to Algebra

1		A mathematical statement written using symbols, numbers or letters,	6+9 $5x+8$
			$5y^2$
2		A statement showing that two expressions are equal.	6 + 9 = 15 2y - 17 = 15
3		The number in front of the letter.	6 <i>x</i> The coefficient is 6.
4	<i>x</i> + 1		
5	x - 1		
6	1 - x		
7	5 <i>x</i>		
8	$\frac{x}{4}$		
9	$\frac{4}{x}$		
10	x ²		$x \times x$
11	x ³		$x \times x \times x$
12	ху		$x \times y$
13	Simplify expressions		Simplify $5x \times 7$ = $35x$
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18	7x + 8x =	15 <i>x</i>	
19	7x - 4x =	3 <i>x</i>	

Large and Negative Numbers

1	Integer	A whole number. It can be negative or positive.	-7, 4, 0, 2, 19, 897	
2	Decimal	A number with a decimal point in it. It can be positive or negative.	4.5 -4.5	
3	Place Value	The value of a digit that relates to its position or place in a number.	5300 The value of the 3 is 300.	
4	Digits	The symbols we use to write a number.	456 has 3 digits.	
5	Place Value Columns	The names of the columns tell us the value of the digits.	Thousands Hundreds Tens Units . Tenths Tenths	
6	Picturing Numbers	Twenty one is equal to 2 tens and 1 one.	-	
7	Ordering	Putting a list of numbers in order. Ascending is from smallest to greatest. Descending is from greatest to smallest.	Ascending order: 7, 13, 45, 78, 124 Descending order: 567, 67, 42, 16, 3	
9	Partitioning	Splitting a number up.	156 156 100 50 6	
10	Reading Large Numbers	Start at the decimal point and work your way up the place value chart to find the value of each digit up to 1,000.	1,256 One thousand, two hundred and fifty six.	
11	Comparing Numbers	 = Equal to < Less than > Greater than ≥ Greater than or equal to ≤ Less than or equal to 	3 < 6 3 is less than 6. 6 > 3 6 is greater than 3.	
12	Positive Numbers	Numbers that are greater than zero.	5 is positive 5.	
13	Negative Numbers	Numbers that are less than zero.	- 5 is negative 5.	

1	Parallel Lines	Lines that never meet because they are always the same distance from each other.	
2	Perpendicular Lines	Lines that meet at right angles to each other.	<→ ↓
3	Angle	Where two line segments meet the measure of rotation from one segment to the other.	~
4	Straight Line	Angles on a straight line sum to 180°.	57° 123°
5	Around a Point	Angles around a point sum to 360°.	82° 114° 120°
6	Vertically Opposite	Vertically opposite angles are equal.	97° 97°
7	Triangles	Interior angles of a triangle sum to 180°.	96° 29°
8	Quadrilaterals	Interior angles of a quadrilateral sum to 360°.	117° 65°

1	Lines that never meet because they are always the same distance from each other.	\longrightarrow
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1	Parallel Lines	
2	Perpendicular Lines	← ↓
3	Angle	
4	Straight Line	57° 123°
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8	Quadrilaterals		50° 117° 127° 65°

Multiplication and Division

1	Product	The result of multiplying two numbers together.	The product of 2 and 3 is 6 because 2 x 3 = 6.
2	Sum	The result of adding two numbers together.	The sum of 2 and 3 is 5 because 2 + 3 = 5.
3	Commutative	The order of numbers involved in an operation does not matter and does not affect the answer. Addition and multiplication are commutative.	3 + 2 = 2 + 3 $4 \times 5 = 5 \times 4$ $3 - 2 \neq 2 - 3$ $10 \div 2 \neq 2 \div 10$
		Subtraction and division are not commutative.	
4	Long Multiplication	When we multiply two large numbers together we can use the long multiplication method.	7232 <u>16</u> X <u>43392</u> <u>4444</u> <u>72320</u> <u>115712</u>
5	Dividend	The number that is being divided.	dividend ÷ divisor = quotient
6	Divisor	The number by which another is divided.	$30 \div 6 = 5$
7	Quotient	The result of a division.	
8	Short Division	A written method of dividing.	$186 \div 6 = 0 3 1$ 6 1 1 8 6 no groups of 6 can be made 3 × 6 = 18
9	Grid Method	This method is used for multiplication. It involves partitioning numbers into hundreds, tens and units before they are multiplied.	35 x 7 X 30 5 7 210 35 210 + 35 = 245
10	Column Method	This method of multiplication, addition and subtraction is the method where numbers are 'carried' or 'borrowed'.	The column method for multiplication the carried numbers can go above or below. 2 3 7 x 4 9 4 8 1 2

Unit 2 – Multiplication and Division



		i	
1		The result of multiplying two numbers together.	The product of 2 and 3 is 6 because 2 x 3 = 6.
2		The result of adding two numbers together.	The sum of 2 and 3 is 5 because 2 + 3 = 5.
3	Commutative		4 x 7 = 7 x 4 4 + 7 = 7 + 4
4	Long Multiplication	When we multiply two large numbers together we can use the long multiplication method.	7232 16 X 43392 4 + + + 72320 115712
5		The number that is being divided.	20 • 6 - 5
6	Divisor		dividend ÷ divisor = quotient
7		The result of a division	
8	Short division	A written method of dividing.	$186 \div 6 = 0 3 1$ 6 1 1 8 6 no groups of 6 con be made 3 x 6 = 18

<u>Pathway 4</u>





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Unit 2 – Multiplication and Division



1	The result of multiplying two numbers together.	The product of 2 and 3 is 6 because 2 x 3 = 6.
2	The result of adding two numbers together.	The sum of 2 and 3 is 5 because 2 + 3 = 5.
3	Addition and multiplication are commutative because the order that we do them doesn't matter.	4 x 7 = 7 x 4 4 + 7 = 7 + 4
4	When we multiply two large numbers together we can use the long multiplication method.	7232 16X 43392 4 + + + 72320
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<u>Pathway 4</u>





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Percentages

1	Percentage	A percentage is a fraction expressed as the number of parts per hundred. It is recorded using the notation %	89% 105% 0.67%
2	Vinculum	The fraction line.	$\frac{3}{4}$
3	Write an amount as a percentage of another	Write as a fraction and multiply by 100.	$\frac{14}{17} \times 100 = 82.4\%$ (1dp)
4	Find 10% of an amount	Divide by 10.	$56 \div 10 = 5.6$
5	Find 1% of an amount	Divide by 100.	$56 \div 100 = 0.56$
6	Find 5% of an amount	Divide by 10 (to find 10%) and then divide by 2.	$(56 \div 10) \div 2 = 2.8$
7	Find 20% of an amount	Divide by 10 (to find 10%) and then multiply by 2.	$(56 \div 10) \times 2 = 11.2$
8	Percentage Multiplier	The decimal equivalent to the percentage.	Find 57% of 893 893 x 0.57 = 509.01
9	Percentage Increase/Decrease	 <u>Non-Calculator</u> 1) Find the percentage of the amount 2) Add/Subtract to or from the original amount <u>Calculator</u> 1) Find the percentage multiplier 	<u>Increase 500 by 20% (N-Calc)</u> 10% of 500 = 50 so 20% of 500 = 100 500 + 100 = 600 <u>Decrease 800 by 17% (Calc):</u> 100%-17%=83% 83% ÷ 100 = 0.83
10	Percentage Change	The amount of change written as a percentage of the original amount.	$\frac{\text{new value} - \text{original value}}{\text{orginal value}} \times 100$
11	0.5	$\frac{1}{2}$	50%
12	0.25	$\frac{1}{4}$	25%
13	0.75	$\frac{3}{4}$	75%
14	0.2	$\frac{1}{5}$	20%
15	0.125	$\frac{1}{8}$	12.5%
16	0.7	$\frac{7}{10}$	70%
17	0.3	$\frac{1}{3}$	33.3% _(1dp)

<u>Unit 4 – Percentages</u>



1	A is a fraction expressed as the number of parts per hundred. It is recorded using the notation %	89% 105% 0.67%
2	The fraction line.	$\frac{3}{4}$
3	Write as a fraction and multiply by 100.	$\frac{14}{17} \times 100 = 82.4\%$ (1dp)
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8	The decimal equivalent to the percentage.	Find 57% of 893 893 x 0.57 = 509.01
9	 <u>Non-Calculator</u> Find the percentage of the amount Add/Subtract to or from the original amount <u>Calculator</u> Find the percentage multiplier 	Increase 500 by 20% (N-Calc) 10% of 500 = 50 so 20% of 500 = 100 500 + 100 = 600 Decrease 800 by 17% (Calc): 100%-17%=83% 83% ÷ 100 = 0.83
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11	$\frac{1}{2}$	50%
12	$\frac{1}{4}$	25%
13	$\frac{3}{4}$	75%
14	1 5	20%
15	$\frac{1}{8}$	12.5%
16	7 10	70%
17	$\frac{1}{3}$	33.3% _(1dp)

<u>Pathway 6</u>

<u>Unit 4 – Percentages</u>



1	Percentage	89% 105% 0.67%
2	Vinculum	$\frac{3}{4}$
3	Write an amount as a percentage of another	$\frac{14}{17} \times 100 = 82.4\%$ (1dp)
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		Decrease 800 by 17% (Calc): 100%-17%=83% 83% ÷ 100 = 0.83
10	Percentage Change	new value – original value orginal value × 100
11	0.5	50%
12	0.25	25%
13	0.75	75%
14	0.2	20%
15	0.125	12.5%
16	0.7	70%
17	0.3	33.3% _(1dp)

<u>Pathway 6</u>





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Topic/Skill	Definition/Tips	Example		
1. Perimeter	The total distance around the outside of a shape.	8 cm		
	Units include: <i>mm, cm, m</i> etc.	5 cm P = 8 + 5 + 8 + 5 = 26cm		
2. Area	The amount of space inside a shape.			
	Units include: mm^2 , cm^2 , m^2			
3. Area of a Rectangle	Length x Width	4 cm $A = 36 cm^2$		
4. Area of a Parallelogram	Base x Perpendicular Height Not the slant height.	4cm 3cm $A = 21cm^2$		
5. Area of a Triangle	Base x Height ÷ 2	9 4 5 $A = 24cm^2$		
6. Area of a Kite	Split in to two triangles and use the method above.	$A = 8.8m^2$		
7. Area of a Trapezium	$\frac{(a+b)}{2} \times h$ "Half the sum of the parallel side, times the height between them. That is how you calculate the area of a trapezium"	$\stackrel{6 \text{ cm}}{\longleftarrow} A = 55 \text{ cm}^2$		
8. Compound Shape	A shape made up of a combination of other known shapes put together.			

Place Value

1	Integer	A whole number. It can be negative or positive.	-7, 4, 0, 2, 19, 897
2	Decimal	A number with a decimal point in it. It can be positive or negative.	4.5 -4.5
3	Place Value	The value of a digit that relates to its position or place in a number.	5300 The value of the 3 is 300
4	Digits	The symbols we use to write a number.	456 has 3 digits
5	Place Value Columns	The names of the columns tell us the value of the digits.	Millions Millions Hundred Thousands Ten Thousands Thousands Thousands Thousands Thousands Consolited Consolite
6	Ordering	Putting a list of numbers in order. Ascending is from smallest to greatest. Descending is from greatest to	Ascending order: 7, 13, 45, 78, 124 Descending order:
7	Partitioning	smallest. Splitting a number up.	156 156 100 50 6
9	Reading Large Numbers	Start at the decimal point and work your way left along the place value chart to find the value of each digit up to 1,000.	1,256 One thousand, two hundred and fifty six.
10	Comparing Numbers	We use these symbols = Equal to < Less than > Greater than ≥ Greater than or equal to ≤ Less than or equal to	3 < 6 3 is less than 6 6 > 3 6 is greater than 3
11	Positive numbers	Numbers that are greater than zero.	5 is positive 5.
12	Negative Numbers	Numbers that are less than zero.	- 5 is negative 5.
13	Rounding	To change a number to a similar number which is either easier to read or easier to calculate with. If the digit to the right of the rounding digit is less than 5, round down.	74 rounded to the nearest ten is 70, because 74 is closer to 70 than 80.

Name:	•••••••••••••	
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Topic/Skill	Definition/Tips	Example	Your Turn
Probability	The likelihood/chance of something happening.	Impossible Unlikely Even Chance Likely Certain	The chance of flipping a coin and getting heads is:
	Is expressed as a fraction, decimal, percentage between 0 (impossible) and 1 (certain).	0 1 1-in-6 Chance 1 1-in-5 Chance	The chance of flipping a coin and it flying into space is:
Sample	A sample is a small selection of items from a population. A sample is biased if individuals or groups from the population are not represented in the sample.	A sample could be selecting 10 students from a year group at school.	I want to know about the favourite subjects of all pupils in our school. I conduct a survey asking girls in Year 11. What is wrong with my sample?
Sample Size	The larger a sample size, the closer those probabilities will be to the true probability.	A sample size of 100 gives a more reliable result than a sample size of 10.	Why don't survey's just ask everyone in the population?
Theoretical Probability	Number of Favourable Outcomes Total Number of Possible Outcomes	Probability of rolling a 4 on a fair 6- sided die = $\frac{1}{6}$	The probability of rolling an even number on a fair 6-sided dice is:
Relative Frequency	Number of Successful Trials Total Number of Trials	A coin is flipped 50 times and lands on Tails 29 times.	A dice is rolled 100 times and lands on 3 14 times.
		The relative frequency of getting Tails = $\frac{29}{50}$.	The relative frequency of getting 3 =

Exhaustive	Outcomes are exhaustive if they cover the entire range of possible outcomes. The probabilities of an exhaustive set of outcomes adds up to 1.	When rolling a six-sided die, the outcomes 1, 2, 3, 4, 5 and 6 are exhaustive, because they cover all the possible outcomes. $\frac{1}{6} + \frac{1}{6} + \frac{1}{6} + \frac{1}{6} + \frac{1}{6} + \frac{1}{6} = \frac{6}{6} = 1$	When flipping a coin
Mutually Exclusive	Events are mutually exclusive if they cannot happen at the same time. The probabilities of an exhaustive set of mutually exclusive events adds up to 1.	Examples of mutually exclusive events: - Turning left and right - Heads and Tails on a coin Examples of non mutually exclusive events: - King and Hearts from a deck of cards, because you can pick the	 Put a tick or a cross for mutally exclusive (✓) and non mutually exclusive (X) events: Choosing a random pupil in a high school survey: Getting someone with glasses or someone without glasses Getting someone in Year 10 or in Year 11 Getting a boy in Year 7 or
Independent Events	The outcome of a previous event does not influence/affect the outcome of a second event.	King of Hearts An example of independent events could be being late to school and eating a jacket potato for lunch	a girl in Year 7 Tick the correct example: - Being in Year 7 and being in KS3 - Being a boy and liking maths
Dependent Events	The outcome of a previous event does influence/affect the outcome of a second event.	An example of dependent events could be being late to school and missing the train	 Tick the correct example: Flipping a coin and getting heads, and then flipping and getting heads again Pulling a green marble out of a bag and then pulling another green marble

Expected Outcomes	To find the number of expected outcomes, multiply the probability by the number of trials.	The probability that a football team wins is 0.2 How many games would you expect them to win out of 40? $0.2 \times 40 = 8 \text{ games}$	I roll a fair 6-sided dice 300 times. How many times would you expect to get a 5?
Drob ability	P(A) refers to the probability that	P(Pod Queen) refere to the	All these are far fair (sided discu
Notation	event A will occur	probability of picking a Red	All mese dre for fair 6-sided dice:
		Queen from a pack of cards.	P(6) refers to
	P(A') refers to the probability that event A will <u>not</u> occur.	P(Blue') refers to the probability that you do not pick Blue.	P(1∪6)
	P(A u B) refers to the probability that event A <u>or</u> B <u>or</u> both will	P(Blonde u Right Handed) refers to the probability that you pick	
	occur.	someone who is Blonde or Right Handed or both.	P(5')
	P(A n B) refers to the probability that <u>both</u> events A and B will occur.	P(Blonde n Right Handed) refers to the probability that you pick someone who is both Blonde and Right Handed.	Ρ(3 ∩ 4)
AND rule for	When two events, A and B, are independent:	What is the probability of rolling a 4 and flipping a Tails?	What is the probability of rolling a 3 and flipping a Heads?
Probability	$P(A \text{ and } B) = P(A) \times P(B)$	$P(4 \text{ and } Tails) = P(4) \times P(Tails)$ $= \frac{1}{6} \times \frac{1}{2} = \frac{1}{12}$	

OR rule for Probability	When two events, A and B, are mutually exclusive: P(A or B) = P(A) + P(B)	What is the probability of rolling a 2 or rolling a 5? P(2 or 5) = P(2) + P(5) $1 1 2 1$			What is the probability of flippin and getting a Heads or a Tails?				oping iils?						
				=	$\frac{-}{6}$ +	$\overline{6} =$	$\overline{6} =$	3							
Frequency Tree	A diagram showing how information is categorised into various categories.		Class A 30 Absent		white bread 51 chicken 72			51							
	The numbers at the ends of branches tells us how often something happened (frequency).	85 Class B Present 27 Absent 2 Class C 21 Present 20		100 brown bread tuna brown bread			3								
	You can work out the missing numbers by making sure they add up.					<u> </u>	Ab	sent	6	>					
Sample	The set of all possible outcomes		+	1	2	3	4	5	6				Sp	inne	er 1
space			1	2	3	4	5	6	7			×	0	2	3
	For example, the diagram shows		2	3	4	5	6	7	8			1			
outcom adding	all the different possible		3	4	5	6	7	8	9			-			-
	adding the scores.		4	5	6	7	8	9	10		5pinner 2	3			
			5	6	7	8	9	10	11			5			
			6	7	8	9	10	11	12						

Tree	Tree diagrams show all the	Bag A	Bag B	James goes to an arcade. He has one
Diagrams	possible outcomes of an event		1	go on the Teddy Grabber. He has one
C C	and calculate their probabilities.		3	go on the Penny Drop. The probability
		1 red :		that he wins on the leddy Grabber is
	All branches must add up to 1	5	2 1.11.	0.2. The probability that he wins on the
	when adding downwards		 2	Teddy Grabber Penny Drop
	This is because the probability of	<	5 1	Win
	something not happening is 1			0.3
	minus the probability that it does	- black		Win
	hannen They are exhaustive	5	2	0.2
	nappen. mey die exhausilve.		🚽 🗋 black	< USe Win
		The probability of getting a Black		
	Multiply going across a free			
	alagram to work out the		a keu nom bug b	
	probability of both events			Find the probability that he wins
	happening.	$\frac{4}{5} \times \frac{1}{2} = \frac{4}{45}$		both games:
		5 3	i 15	Bonn games.
	Fractions or decimals, the			
	process is the same			
Conditional	The probability of an event A	1st Bead	2 nd Bead	Draw a tree diagram for a bag
Probability	happening, given that event B		3	with 5 red marbles and 5 yellow
	has already happened.		Red	marbles, with two counters
				picked:
	With conditional probability,	4	<	
	check if the numbers on the	g Red	5 Groon	
	second branches of a tree		8 01001	
	diagram changes. For example,		4	
	if you have 4 red beads in a bag	5 Green	8 Red	
	of 9 beads and pick a red bead	9 0.000	1	
	on the first pick, then there will be			
	3 red beads left out of 8 beads on		4 Green	
	the second pick.		8	

Venn	A Venn Diagram shows the		$A' \cap B$
Diagrams	relationship between a group of different things and how they overlap. You may be asked to shade Venn Diagrams as shown below		
	and to the right.	$(A \cap B)' \qquad (A \cup B)$	$A \cup B'$
	$A \cup B$ $A \cap $		
Venn	E means 'element of a set' (a	Set A is the even numbers less than	Set A is the odd numbers less
Notation	{ } means the collection of values	A = {2, 4, 6, 8}	A =
	in the set.		
	ξ means the 'universal set' (all	Set B is the prime numbers less	Set B is the square numbers less
	auestion)	$B = \{2, 3, 5, 7\}$	B =
	A' means 'not in set A' (called	$A \cup B = \{2, 3, 4, 5, 6, 7, 8\}$ $A \cap B = \{2\}$	A U B =
	A U B means 'A or B or both'		A ∩ B =
	(called Union) A ∩ B means 'A and B (called Intersection)		A'∩B=

Properties of Shapes

1	2D	Two-dimensional.	Examples of 2D shapes
		a length and width.	include: triangle, square, pentagon
2	3D	Three-dimensional Describes a solid shape with a length, width and depth.	Examples of 3D shapes include a: cube, sphere, prism
3	Polygon	A plane shape with three or more straight sides.	
4	Triangle	A polygon with three sides.	
5	Right- angle Triangle	A triangle with one internal right- angle.	
6	Equilateral Triangle	A triangle which has three equal length sides and internal angles which measure 60°.	
7	Isosceles Triangle	A triangle which has two sides of equal length and equal sized base angles.	
8	Scalene Triangle	A triangle where the three sides are of different length.	
9	Square	A polygon with four equal length sides and four internal right angles.	
10	Rectangle	A polygon with two pairs of opposite equal length sides and four internal right angles	
11	Circle	A plane shape bounded by a continuous line which is always the same distance from the centre.	

<u>Ratio</u>

1	Proportion	A part to whole comparison.	£20 is shared between two people in the ratio 3:5, the first person received 3/8 of the whole. This is their proportion of the whole.
		Any two variables are directly proportional if they are related in the same ratio by a multiplier in the form y=kx.	In currency exchange the ratio £1: €1.20 shows that pounds are directly proportional to euros. £1 = 1.2 x Euros
2	Ratio	Ratio compares the size of one part to another part.	The order is important, the ratio of a to b is written a : b
3	Unitary ratio	A part to part comparison where one part is 1. It is written as 1 : n or n : 1	
4	Fraction	Any part of a group, number or whole. The numerator tells us how many parts we have. The denominator tells us how many parts the whole has been split into.	<u>Numerator</u> Denominator
5	Respectively	One after the other in the order already mentioned.	

Representing Data

1	Data	A collection of information. Usually	There are two types of data:
		gathered by observation,	Continuous data can have an infinite
		questioning or measurement.	number of possible values within a
			selected range. For example, height
			158.5cm, 142.028cm, 180.1cm.
			Discrete data only has a limited number
			of possible values. For example, shoe
			size 5, 5½, 6, 6½, 7 etc.
2	Frequency	The number of times a particular	In maths we have frequency tables
		item appears in a set of data.	which show the number of items in a
			data set.
3	Interpreting	From the Old French interpreter	To interpret data using graphs means to
		which meant "explain or translate".	find meaning from the graph and to
		It means to expound the meaning,	understand what it is telling us.
		render clear or explicit.	
4	Represent	From the Old French representer	To represent data is to make it present
		"present, show or display". It means	and show what it means. This means to
		to symbolise, to serve as a sign.	turn 'raw' data into a graph.
5	Types of Graph	There are many types of graph.	
-		Examples include bar graph, pie	
		chart and pictogram.	

<u>Pathway 5</u>



<u>Unit 8 – Representing Data</u>

1	A collection of information. Usually	There are two types of data:
	gathered by observation,	Continuous data can have an infinite
	questioning or measurement.	number of possible values within a
		selected range. For example, height
		158.5cm, 142.028cm, 180.1cm.
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		of possible values. For example, shoe
		size 5, 5½, 6, 6½, 7 etc.
2	The number of times a particular	In maths we have frequency tables
	item appears in a set of data.	which show the number of items in a
		data set.
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	which meant "explain or translate".	find meaning from the graph and to
	It means to expound the meaning,	understand what it is telling us.
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	"present, show or display". It means	and show what it means. This means to
	to symbolise, to serve as a sign.	turn 'raw' data into a graph.
5	There are many types of graph.	
_	Examples include bar graph, pie	
	chart and pictogram.	

<u>Pathway 5</u>



<u>Unit 8 – Representing Data</u>

1	Data	There are two types of data:				
L L		Continuous data can have an infinite				
		number of possible values within a				
		selected range. For example, height				
		158.5cm, 142.028cm, 180.1cm.				
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		of possible values. For example, shoe				
		size 5, 5½, 6, 6½, 7 etc.				
2	Frequency	In maths we have frequency tables				
		which show the number of items in a				
		data set.				
3	Interpreting	To interpret data using graphs means to				
		find meaning from the graph and to				
		understand what it is telling us.				
4	Represent	To represent data is to make it present				
		and show what it means. This means to				
		turn 'raw' data into a graph.				
5	Types of Graph					

<u>Pathway 5</u>



<u>Unit 8 – Representing Data</u>

1		A collection of information. Usually gathered by observation, questioning or measurement.	There are two types of data: Continuous data can have an infinite number of possible values within a selected range. For example, height 158.5cm, 142.028cm, 180.1cm. Discrete data only has a limited number of possible values. For example, shoe size 5, 5½, 6, 6½, 7 etc.
2		The number of times a particular item appears in a set of data.	In maths we have frequency tables which show the number of items in a data set.
3		From the Old French <i>interpreter</i> which meant "explain or translate". It means to expound the meaning, render clear or explicit.	To interpret data using graphs means to find meaning from the graph and to understand what it is telling us.
4	Represent		To represent data is to make it present and show what it means. This means to turn 'raw' data into a graph.
5	Types of Graph		

Rounding and Arithmetic

1	Rounding	To change a number to a similar number which is either easier to read or easier to calculate with. If the digit to the right of the rounding digit is less than 5, round down.	We can round to a number of decimal places or significant figures, to the nearest 10, 100 or 1000, or to the nearest integer.
2	Upper Boundary	The highest that a number could have been before it was rounded.	
3	Lower Boundary	The lowest that a number could have been before it was rounded.	
4	Distributive Law	The Distributive Law states that multiplying a number by a group of numbers added <u>together is the same as</u> doing each multiplication separately.	12 x 3 is the same as (10 x 3) + (2 x 3) or (8 x 3) + (4 x 3)
5	Commutative Law	The Commutative Law states that the answer of any sum or product is unchanged by re-ordering the calculation. Addition and multiplication are commutative.	3 x 4 = 4 x 3 3+4 = 4+3
6	Grid Method	This method is used for multiplication. It involves partitioning numbers into hundreds, tens and units before they are multiplied.	35 x 7 X 30 5 7 210 35 210 + 35 = 245
7	Column Method	This method of multiplication, addition and subtraction is the method where numbers are 'carried' or 'borrowed'.	The column method for multiplication the carried numbers can go above or below. 2 3 7 x 4 9 4 8 1 2



Unit 4 – Rounding and arithmetic

1	To change a number to a more useful value which is similar.	We ca neares	We can round to the nearest 10, 100, 1000		
2	The highest that a number could have been before it was rounded.				
3	The lowest that a number could have been before it was rounded.				
4	The Distributive Law says that multiplying a number by a group of numbers <u>added</u> together is the same as doing each multiplication separately.	12 x 3 is 1 (10 x 3) + (8 x 3) + (the same a · (2 x 3) or (4 x 3)	S	
5	The Law that says you can swap numbers around and still get the same answer when you add. Or when you multiply.	3 x 4 = 4 3+4 = 4+3	x 3 3		
6	This method is used for	35 x 7			
	multiplication it involves	×	30	5	
	partitioning numbers into	7	210	35	
	nundreds, tens and units before they are multiplied	210 + 35 = 245			
7	Column method of multiplication, addition and subtraction is the method where numbers are 'carried' or 'borrowed'.	The column method for multiplication the carried numbers can go above or below		d for arried ove or	
		х	23	7 4	
			94 1 2	8	

<u>Pathway 2</u>

Unit 4 – Rounding and arithmetic



1	Rounding		We n	e can round learest 10, 1000	d to the , 100,
2		The highest that a number could have been before it was rounded.			
3	Lower boundary				
4		The says that multiplying a number by a group of numbers together is the same as doing each multiplication separately.	12 x (10 (8 x	x 3 is the s x 3) + (2 x x 3) + (4 x 3	ame as 3) or 3)
5		The Law that says you can swap numbers around and still get the same answer when you add. Or when you multiply.	3 x 3+4	4 = 4 x 3 4 = 4+3	
6	Grid method		35 :	x 7	
			×	30	5
			7	210	35
			21	0 + 35 = 2	245
7	Colum method		The for the can belo	column n multiplica carried nu go above ow 2 3 x 9 4 1 3	nethod tion umbers or 3 7 4 4

The Probability Scale

1	Probability	The likelihood of an event happening. It can be expressed in words or in numbers	
		We write probabilities as fractions,	
2	Impossible	The probability is 0.	It is impossible to roll a 7 on a normal die.
3	Certain	The probability is 1.	It is certain that you will roll a number between 1- 6 on a normal die.
4	Even Chance	The probability is 0.5 (50%/1/2) . Also called fifty-fifty chance or evens.	There is an even chance of getting tails when flipping a coin.
5	Total Probability	All the probabilities of an event, where each is mutually exclusive, sum to 1.	
6	Outcome	The result of a single trial of an experiment.	
7	Mutually Exclusive	Events are mutually exclusive if it is impossible for them to both happen at the same time.	Flipping a heads or tails on a coin is mutually exclusive. You cannot get both at the same time.



<u>Time</u>

1	Quarter-past	It is fifteen minutes past the hour. The minute hand is pointing to the 3.	Quarter-past Eight Eight Fifteen 8:15
2	Quarter-to	It is 15 minutes until the next hour. The minute hand is pointing to the 9.	Quarter-to Ten Nine Forty-five 9:45
3	Five-past, Ten-past, Twenty-past, Twenty-five-past'	It is this many minutes past the hour.	Five minutes past Five minutes past
4	Five-to, Ten-to, Twenty-to, Twenty- five-to	It is this many minutes until the next hour.	Five minutes to Ten minutes to 10 2 (9 3) Twenty minutes to Twenty five minutes to 5
5	Analogue Clock	A clock that usually has 12 divisions labelled 1 to 12 to represent the hours. The long hand is the minute hand. The shorter hand is the hour hand.	
6	Digital Clock	A clock that shows the time in digits.	1 4:36
7	Day	A unit of time. There are 365 days in a year.	
8	Week	A unit of time. There are 52 weeks in a year.	
9	Hour	A unit of time. There are 24 hours in one day.	
10	Minute	A unit of time. There are 60 minutes in one hour.	
11	Second	A unit of time. There are 60 seconds in one minute.	
12	АМ	AM indicates the morning (before 12 midday). It comes from the Latin for 'before midday'.	6AM is six o'clock in the morning.
13	PM	The afternoon and evening. It comes from the Latin for 'after midday'.	6PM is six o'clock in the evening.
14	24 Hour Clock	The time is given in the number of hours and minutes since midnight.	13: 15 means 1:15pm 13: 15 means 1:15pm 13: 15 means 1:15pm 10_{22} 10_{22} 14^{2} 14^{2} 9^{21} 15^{3}

Times Tables and Formal Methods for Addition and Subtraction

1	Multiplication	The operation where a number is added to itself a number of times to form a product.	Synonyms: 'times', 'multiply', 'repeated addition', 'product', 'lots of' and 'groups of'.	
2	Division	The operation where a number is shared or grouped into a number of equal parts.	Synonyms: 'divide', 'share equally' and 'divided by'.	
3	Addition	The operation to combine numbers or quantities to form a total or sum. Addition is the inverse of subtraction.	Synonyms: 'sum', 'add', 'plus', 'more', 'total' and 'all together'.	
4	Subtraction	The operation to find the difference between two numbers of quantities. Subtraction is the inverse of addition.	Synonyms: 'minus', 'take away', 'subtract', 'reduce', 'take from', 'difference', 'decrease', 'fewer', and 'between'.	
5	Inverse Operations	The opposite operation. Inverse operations 'undo' each other.	Addition and Subtraction. Multiplication and Division.	
6	Column Method	Lining up numbers and performing an operation using a formal algorithm.	52 +64	
7	Commutative	The order of numbers involved in an operation does not matter and does not affect the answer. Addition and multiplication are commutative. Subtraction and division are not	3 + 2 = 2 + 3 $4 \times 5 = 5 \times 4$ $3 - 2 \neq 2 - 3$ $10 \div 2 \neq 2 \div 10$	